## SEMESTER LEARNING ACTIVITY PLANS (SLAP) SEMESTER ODD 2022/2023



Physics Undergraduate Study Program Physics Department Computational Physics MFF 2027/ 2 Credits

Lecturer Coordinator:

Drs. Pekik Nurwantoro, M.S., Ph.D Prof., Agung Bambang Setio Utomo, S.U., Ph.D

## UNIVERSITAS GADJAH MADA FACULTY OF MATHEMATICS AND NATURAL SCIENCE 2022



Short

## **Universitas Gadjah Mada**

Faculty of Mathematics and Natural Science Physics Department / Physics Undergraduate Study Program Semester ODD 2022/2023

**Document Number :** 

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## SEMESTER LEARNING ACTIVITY PLANS (SLAP)

Code	Course Name		dits dits)	Semester	Status	Prerequisite
MFF 2027	Computational	<i>T: 2</i>	<i>P</i> :	ODD	Compulsory	Numerical Method
	<b>Physics</b>					(MFF1024), Calculus I
						(MMM1101)
	The Computational Physics course is compulsory for the Bachelor of Physics study program at Gadjah Mada University. This course can be taken by students in the odd semester of the second year of study with the approval of the supervisor/academic. Before taking this course, students must have taken the MFF 1024 Numerical Method and MMM 1101 Calculus courses. This is because in the Computational Physics course (and MFF 1024 Numerical Methods and MFF 3023 Kapita Selecta in Computational Physics). Caludate is a basis to ensure that the Computational Physics course are basis to basis the supervisor.					

Computational Physics), Calculus is used as a basis to understand Computational Physics as a whole better so that the Computational Physics method can be used as a method to solve the symptoms of Physics. Moreover, it will make it easier to understand Physics and Advanced Physics. With the overall Computational Physics course as an instrument, students are expected to understand better various Physics and Advanced Physics phenomena from the computational/numerical aspect. Learning is carried out based on a face-to-face schedule in class for 14 weeks, with two meetings for 50 and 100 minutes each week. Four weeks during the lecture period are used for the Mid-Semester Examination and the Final Semester Examination, each of which is carried out on a scheduled basis for two weeks by the Academic Section of FMIPA UGM. Evaluation for students for course assessment is carried out summatively and formatively. Summatively manifested in the form of written exams, Mid-Semester Examination and the Final Semester Examination, which takes a maximum of 120 minutes. The formative evaluation is manifested as independent assignments for each student. The form of independent activity is the completion of a task given to students to be discussed in groups and then completed independently at home in the form of a written report for each task. The monitoring process is carried out Description by looking at student activities during the lecture process, such as attendance at lectures, questions and answers and discussion of the material being presented, and student performance in carrying out independent assignments in the form of homework given. Evaluation for students for course assessment is carried out summatively and formative. Summatively manifested in the form of written exams, both Mid-Semester Examination and the Final Semester Examination, which takes a maximum of 120 minutes. The formative evaluation is manifested in the form of independent assignments for each student. The form of independent activity is the completion of a task given to students to be discussed in groups and then completed independently at home in the form of a written report for each task. The monitoring process is carried out by looking at student activities during the lecture process, such as attendance at lectures, questions and answers and discussion of the material being presented, and student performance in carrying out independent assignments in the form of homework given. Evaluation for students for course assessment is carried out summatively and formatively. Summatively manifested in the form of written exams, both Mid-Semester Examination and the Final Semester Examination, which takes a maximum of 120 minutes. The formative evaluation is manifested in the form of independent assignments for each student. The form of independent activity is the form of completing an assignment given to students to be discussed in groups and then completed independently at home in the form of a written report for each of these taCredits. The monitoring process is carried out by looking at student activities during the lecture, such as attendance at lectures, questions and answers and discussion of the

	material being p of homework gi	presented, and student performance in ven.	carrying out independent ass	ignments in the form		
Program Learning Outcomes (PLO) Imposed on the Course	PLO 2	Knowledge. Able to explain theoretical concepts and principles of classical and modern physics and able to apply basic concepts of physics and related mathematical methods in finding solutions to physical problems.				
	PLO 4	Special Skills. Able to design and carry out experiments/theoretical reviews, able to identify a physical problem based on the results of observations and experiments, and able to operate related technologies.				
	PLO 5	Long Life Learning. Able to analyze various alternative solutions to physical problems and conclude them for appropriate decision-making, both in familiar and new problems.				
	After completing	ng this course, students are expected	to be able to:			
	<i>C01</i>	Students have the ability in Physics Skills, namely how to formulate and describe (to describe) the physical phenomena being studied and reveal important information in the physics problem through various tricks or specific mathematical procedures and utilizing various approaches (approximations).				
Course	CO2	Students have the ability in Analytical Skills, namely how to pay attention to physics problems in detail, analyze problems and build arguments logically and carefully.				
Outcomes (CO)	СОЗ	Students have the ability in Investigative Skills, namely how to search for physics problems from various sources and references for research gain insight into an important piece of information.				
	<i>CO4</i>	Students have the ability in Problem-Solving Skills, namely how to solve a problem with a structured solution (well-defined solutions), formulate a problem carefully, and try other approaches (approaches) to improve solving a challenging problem (challenging problems ).				
		Learning Materials	Learning Methods	Time Allocation		
	CO 1	Explanation of some of the software and hardware that is potentially useful in carrying out the computing process,	TCL-SCL mixed	2X50 minutes		
The Correlation of CO to Learning Materials and Methods, and Time Allocation	CO 1	Applying the numerical integration method for the study of physical problems, which cannot be expressed in a feasible integral, and, therefore, in the form of an improper integral, uses several numerical quadrature methods.	TCL-SCL mixed	2X50 minutes		
	CO 1	Applying numerical integration methods for the study of physical problems, which can be expressed in proper integral form using the Trapezoidal method, Simpson's method, or similar numerical integration methods.	TCL-SCL mixed	2X50 minutes		
	CO 4	Computation for evaluating functions in the form of series, recurrence relations, and asymptotic forms, which are	TCL-SCL mixed	2X50 minutes		

	often involved in colving verieus			
	often involved in solving various			
<u> </u>	physics problems	TOL COL minut		
<i>CO</i> 2	Computation for evaluating	TCL-SCL mixed	AN20	
	matrices and sets of simultaneous		<b>AXE0</b>	
	linear equations in linear algebra		2X50 minutes	
	is often involved in solving			
	various physics problems.			
<i>CO</i> 4	Application of the problem of	TCL-SCL mixed		
	finding the roots (roots finding)			
	of non-linear functions based on			
	the Bisection or Newton-Raphson			
	method to solve physics		2X50 minutes	
	problems: solving the eigenvalue			
	problem in quantum mechanics,			
	namely the search for energy			
	levels of finite potential wells			
CO 3	Applying the finite difference	TCL-SCL mixed		
	discretization method to solve			
	physical problems: solving the			
	eigenvalue problem in quantum			
	mechanics, namely the search for		2X50 minutes	
	the energy levels of a bound			
	system with an arbitrary			
	potential.			
	Midterm exam/Project Task Res	ulte/Casa Analysis Results	,	
	The simple iteration or the	TCL-SCL mixed	,	
	-	TCL-SCL IIIXed		
	Relaxation method for solving			
<i>CO</i> 2	systems of simultaneous		AT750 1	
002	aquations in source physical		2X50 minutes	
002	equations in several physical		2X50 minutes	
002	problems, such as electrical		2X50 minutes	
	problems, such as electrical circuits.		2X50 minutes	
CO 3	problems, such as electrical circuits.Continued use of the Gauss-	TCL-SCL mixed	2X50 minutes	
	problems, such as electrical circuits.Continued use of the Gauss- Seidel iteration method for	TCL-SCL mixed	2X50 minutes	
	problems, such as electrical circuits.Continued use of the Gauss- Seidel iteration method for solving simultaneous systems of	TCL-SCL mixed	2X50 minutes 2X50 minutes	
	problems, such as electrical circuits.Continued use of the Gauss- Seidel iteration method for solving simultaneous systems of 	TCL-SCL mixed		
	problems, such as electrical circuits.Continued use of the Gauss- Seidel iteration method for solving simultaneous systems of equations in several physics problems, such as in electric	TCL-SCL mixed		
CO 3	problems, such as electrical circuits.Continued use of the Gauss- Seidel iteration method for solving simultaneous systems of equations in several physics problems, such as in electric circuits.			
	<ul> <li>problems, such as electrical circuits.</li> <li>Continued use of the Gauss-Seidel iteration method for solving simultaneous systems of equations in several physics problems, such as in electric circuits.</li> <li>Applying a system of</li> </ul>	TCL-SCL mixed		
CO 3	<ul> <li>problems, such as electrical circuits.</li> <li>Continued use of the Gauss-Seidel iteration method for solving simultaneous systems of equations in several physics problems, such as in electric circuits.</li> <li>Applying a system of simultaneous linear equations</li> </ul>			
CO 3	<ul> <li>problems, such as electrical circuits.</li> <li>Continued use of the Gauss-Seidel iteration method for solving simultaneous systems of equations in several physics problems, such as in electric circuits.</li> <li>Applying a system of simultaneous linear equations with matrix representation in the</li> </ul>			
CO 3	problems, such as electrical circuits.Continued use of the Gauss- Seidel iteration method for solving simultaneous systems of equations in several physics problems, such as in electric circuits.Applying a system of simultaneous linear equations with matrix representation in the initial conditions problem to		2X50 minutes	
CO 3	problems, such as electrical circuits.Continued use of the Gauss- Seidel iteration method for solving simultaneous systems of equations in several physics problems, such as in electric circuits.Applying a system of simultaneous linear equations with matrix representation in the initial conditions problem to solve some physics problems:			
CO 3	problems, such as electrical circuits.Continued use of the Gauss- Seidel iteration method for solving simultaneous systems of equations in several physics problems, such as in electric circuits.Applying a system of simultaneous linear equations with matrix representation in the initial conditions problem to		2X50 minutes	
CO 3	problems, such as electrical circuits.Continued use of the Gauss- Seidel iteration method for solving simultaneous systems of equations in several physics problems, such as in electric circuits.Applying a system of simultaneous linear equations with matrix representation in the initial conditions problem to solve some physics problems:		2X50 minutes	
CO 3	<ul> <li>problems, such as electrical circuits.</li> <li>Continued use of the Gauss-Seidel iteration method for solving simultaneous systems of equations in several physics problems, such as in electric circuits.</li> <li>Applying a system of simultaneous linear equations with matrix representation in the initial conditions problem to solve some physics problems: solving the equations of motion</li> </ul>		2X50 minutes	
CO 3	<ul> <li>problems, such as electrical circuits.</li> <li>Continued use of the Gauss-Seidel iteration method for solving simultaneous systems of equations in several physics problems, such as in electric circuits.</li> <li>Applying a system of simultaneous linear equations with matrix representation in the initial conditions problem to solve some physics problems: solving the equations of motion of a pendulum or oscillation</li> </ul>		2X50 minutes	
CO 3	problems, such as electrical circuits.Continued use of the Gauss- Seidel iteration method for solving simultaneous systems of equations in several physics problems, such as in electric circuits.Applying a system of simultaneous linear equations with matrix representation in the initial conditions problem to solve some physics problems: solving the equations of motion of a pendulum or oscillation using the Euler method or the		2X50 minutes	
CO 3	problems, such as electrical circuits.Continued use of the Gauss- Seidel iteration method for solving simultaneous systems of equations in several physics problems, such as in electric circuits.Applying a system of simultaneous linear equations with matrix representation in the initial conditions problem to solve some physics problems: solving the equations of motion of a pendulum or oscillation using the Euler method or the low-order Runge-Kutta method.Applying a simultaneous linear	TCL-SCL mixed	2X50 minutes	
CO 3	problems, such as electrical circuits.Continued use of the Gauss- Seidel iteration method for solving simultaneous systems of equations in several physics problems, such as in electric circuits.Applying a system of simultaneous linear equations with matrix representation in the initial conditions problem to solve some physics problems: solving the equations of motion of a pendulum or oscillation using the Euler method or the low-order Runge-Kutta method.Applying a simultaneous linear equation system with matrix	TCL-SCL mixed	2X50 minutes	
CO 3	problems, such as electrical circuits.Continued use of the Gauss- Seidel iteration method for solving simultaneous systems of equations in several physics problems, such as in electric circuits.Applying a system of simultaneous linear equations with matrix representation in the initial conditions problem to solve some physics problems: solving the equations of motion of a pendulum or oscillation using the Euler method or the low-order Runge-Kutta method.Applying a simultaneous linear equation system with matrix representation in the initial	TCL-SCL mixed	2X50 minutes 2X50 minutes	
CO 3	problems, such as electrical circuits.Continued use of the Gauss- Seidel iteration method for solving simultaneous systems of equations in several physics problems, such as in electric circuits.Applying a system of simultaneous linear equations with matrix representation in the initial conditions problem to solve some physics problems: solving the equations of motion of a pendulum or oscillation using the Euler method or the low-order Runge-Kutta method.Applying a simultaneous linear equation system with matrix	TCL-SCL mixed	2X50 minutes 2X50 minutes	

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		equations of motion of a					
		pendulum or oscillation using the					
	~~~	high-order Runge-Kutta method.					
	<i>CO</i> 2	Simultaneous application of a	TCL-SCL mixed				
		system of linear equations with					
		matrix representation on					
		boundary condition problems to					
		solve several physics problems:					
		solving Poisson and Laplace		2X50 minutes			
		equations in 1 Dimension (1D)					
		magnetic, an electric system for					
		computing force, field, and					
		electric potential as well as heat					
		or heat propagation.					
	<i>CO</i> 4	Simultaneous application of	TCL-SCL mixed				
		systems of linear equations with					
		matrix representation on					
		boundary condition problems to					
		solve several physics problems:					
		solving Poisson and Laplace		2X50 minutes			
		equations in 2 Dimensions or 3		2A30 minutes			
		Dimensions (2D or 3D) magnetic					
		electric systems for computing					
		force, field, and electric potential					
		as well as heat or heat					
		propagation.					
	<i>CO 3</i>	Simultaneous application of	TCL-SCL mixed				
		systems of linear equations with					
		matrix representation on					
		boundary condition problems to					
		solve several physics problems:					
		solving Poisson and Laplace		<b>AN</b> 50 : (			
		equations in 2 Dimensions or 3		2X50 minutes			
		Dimensions (2D or 3D) magnetic					
		electric systems for computing					
		force, field, and electric potential					
		as well as heat or heat					
		propagation.					
	Final exams/ Project Task Results/Case Analysis Results						
Learning	SCL (Student Centered Learning): Project-based learning (Team-based Project)/Case-based						
Methods	learning/PBL/ot	her SCL methods					
Student	Learn to analyz	e and study physical systems					
Learning Experience							
Access to							
Learning							
Media/ LMS	Offline (LCD_PI	PT Slide, Whiteboard, Laptop) and Or	line (Zoom Meeting Google	Meet, Google			
and Offline and	Classroom)	i Shae, (fintessard, Euptop) and Or	200m Meeting, 600gle				
Online							
Percentage							
Гегсенияте							

Assessment Methods and	Assessment Methods	Assessment Percentage	Criteria/ Indicators	CO1	CO2	CO3	CO4	
	Participatory Activity*							
	Project Results/ Case Study Results/ PBL Results*							
Synchronizatio	Cognitive							
n with CO	Assignment	20		$\checkmark$		$\checkmark$		
	Midterm Exam	30			$\checkmark$		$\checkmark$	
	Final Exam	50		$\checkmark$	$\checkmark$	$\checkmark$	$\checkmark$	
	Total	100						
References	<ul> <li>*) can also be obtained from the Midterm or Final Exam as the result of participatory activities or project/ case study results. According to IKU 7, the percentage of project results/ case study/ PBL results is at least 50%.</li> <li>Main References; <ol> <li>R. H. Landau, M. J. Páez, C. C. Bordeianu, 2008, A Survey of Computational Physics, Introductory Computational Science, Princeton University Press, ISBN: 978-0-691-13137-5.</li> <li>DeVries, P. L., &amp; Hasbun, J. E., 2011, A first Course in Computational Physics, Jones &amp; Bartlett Learning, Sudbury, MA</li> <li>Koonin, S. E., &amp; Meredith, D. G., 1990, Computational Physics, second edition, Perseus Book.</li> </ol> </li> </ul>							
Lecturers (Team Teaching)	<ol> <li>Drs. Pekik Nurwantoro, M.S., Ph.D</li> <li>Prof., Agung Bambang Setio Utomo, S.U., Ph.D</li> </ol>							
Authorization	Date of Drafting	Lecture	r Coordinator	Head of Curricul Commit	um He	m Head of Study Prog		
		Drs. Pekik l	Nurwantoro, M.S., Ph.D		Kus	Dr. Eng. Al umaatmaja, S		